REFERENCES FOR THE COURSE ON DEGENERATIONS

CIRO CILIBERTO

The references are divided into the following categories:

(A) General readings;
(B) Generalities on degenerations;
(C) Interpolation;
(D) Toric geometry and toric degenerations;
(E) Tropical geometry.

They are indexed accordingly.

Keep in mind that this is a very partial set of references. They are related to the lectures given in Trento, rather than reflect all the knowledge on the above topics.

References

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Dipartimento di Matematica, Universitá di Roma Tor Vergata, Via della Ricerca Scientifica, 00133 Roma, Italia
E-mail address: cilibert@axp.mat.uniroma2.it